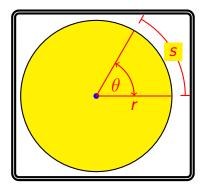
Trigonometry

Study of Sector

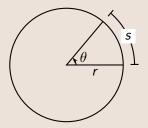
Trigonometry DLA Series



Central Angle & Arc Length

In this DLA, we are are going to look at sector, central angle and arc length..

Sector is the portion of a circle when two radii of the circle meet at both ends of the portion of the circumference of the circle.



Central Angle is labeled by θ and the **arc length** is labeled with *s* for the sector of the circle with **radius** *r*.

The chart below shows the Area of Sector and the Arc Length.

Туре	Formula
Area of Sector	$A = \frac{1}{2} \cdot r^2 \cdot \theta$
Arc Length	$s = r \cdot \theta$

Where the Central Angle θ must be measured in Radians where

$$1^\circ = rac{\pi}{180}$$
 radian and $rac{180}{\pi}^\circ = 1$ radian

Trigonometry

Study of Sector

Example:

Convert 30° to radian.

Solution:

$$30^\circ = 30 \cdot 1^\circ$$
$$= 30 \cdot \frac{\pi}{180} = \frac{\pi}{6}$$

Example:

Convert
$$\frac{\pi}{2}$$
 radians to degrees.

З

Solution:

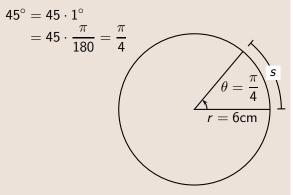
$$\frac{\pi}{2} \text{ radians} = \frac{\pi}{2} \cdot 1 \text{ radian}$$
$$= \frac{\pi}{2} \cdot \frac{180}{\pi} = 90^{\circ}$$

Example:

Find the area of a sector and arc length for the sector with central angle 45° and radius of 6cm.

Solution:

We first need to convert the central angle to radian.



Solution(continued):

Using the formula for the area of sector.

$$A = \frac{1}{2} \cdot r^2 \cdot \theta$$
$$= \frac{1}{2} \cdot 6^2 \cdot \frac{\pi}{4} = \frac{9\pi}{2} cm^2$$

Using the formula for the arc length.

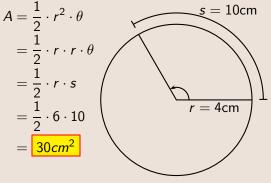
$$s = r \cdot \theta$$
$$= 6 \cdot \frac{\pi}{4} = \frac{3\pi}{2} cm$$

Example:

Find the area of a sector with arc length for the sector of 10cm and radius of 6cm.

Solution:

Using the formula for the area,



Trigonometry

Study of Sector



Start at ELAC, Go Anywhere